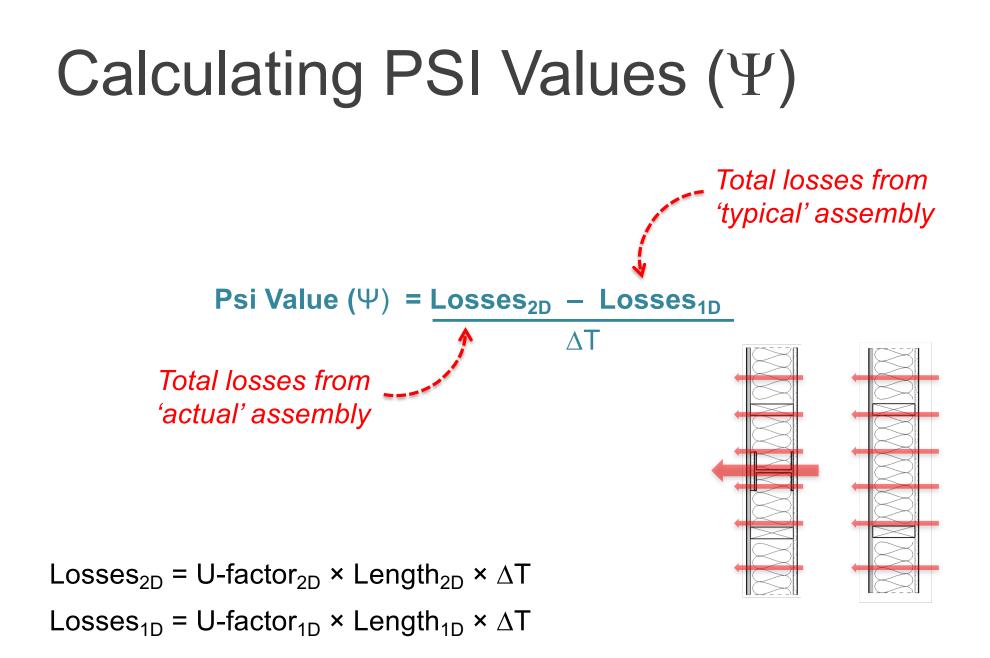
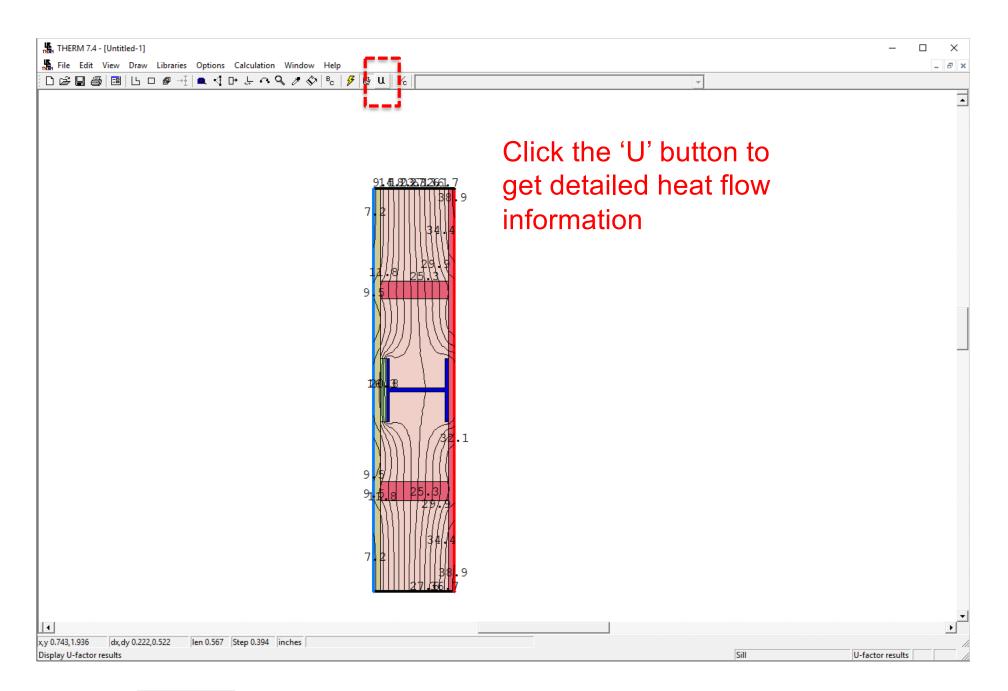
Calculating PSI Values (Ψ)

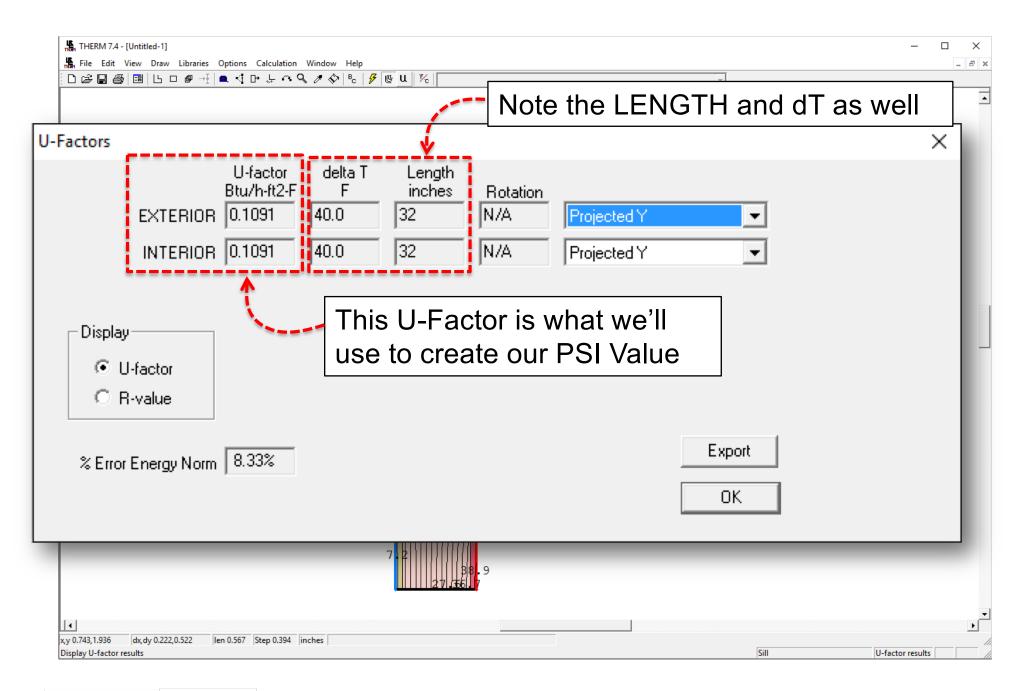






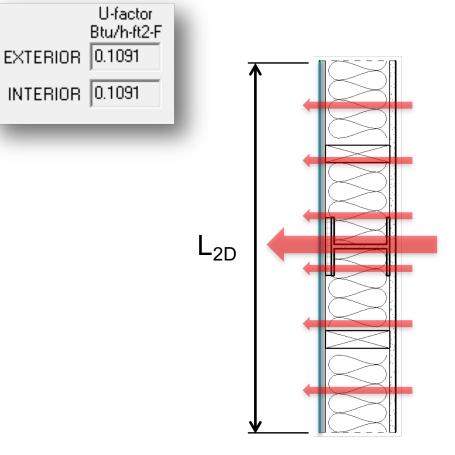








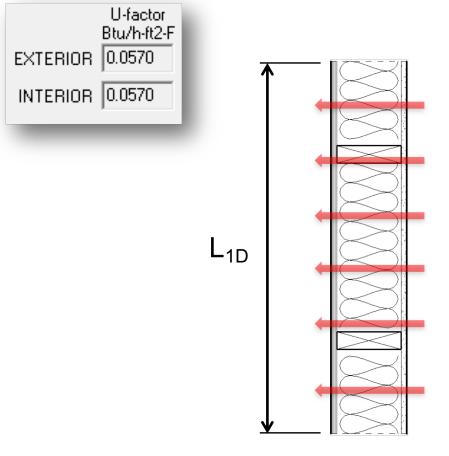
Calculate Losses_{2D}



THERM's U-Factor takes into account all the particulars of the actual detail and combines it into one value which represents heat flow over the entire area



Calculate Losses_{1D}



We also need to model the typical 'clear field' assembly without the disrupting element in a separate THERM file to calculate its U-Factor.



Calculating Psi (Ψ)

 $\Psi = (Losses_{2D} - Losses_{1D}) \div \Delta T$

 $Losses_{2D} = U-factor_{2D} \times L_{2D} \times \Delta T$

 $Losses_{1D} = U\text{-}factor_{1D} \times L_{1D} \times \Delta T$

INPUTS			
U-factor _{2D} (Actual)	=	0.1091 Btu/hr-ft ² -F	
U-factor _{1D} (Typical)	=	0.0570 Btu/hr-ft ² -F	
L _{2D}	=	2.66' (32")	
L _{1D}	=	2.66' (32")	
ΔΤ	=	40°F	

Losses_{2D} = Total losses from 'actual' assembly Losses_{1D} = Total losses from 'typical' assembly



Calculating Psi (Ψ)

Losses _{2D}	Losses _{1D}
U-factor _{2D} × L _{2D} × Δ T	U-factor _{1D} × L_{1D} × ΔT
0.1091 × 2.66' × 40°F	0.0570 × 2.66' × 40°F
= 11.64 BTU/hr·ft	= 6.06 BTU/hr·ft

 $\Psi = (Losses_{2D} - Losses_{1D}) \div \Delta T$

 Ψ = (11.64 Btu/hr·ft - 6.06 Btu/hr·ft) ÷ 40°F

 Ψ = 0.139 BTU/hr·ft·°F



Calculating Losses via Linear Thermal Bridges

$\begin{array}{c} \mathbf{Q}_{\mathsf{T-tb}} = \mathsf{L} \times \Psi \times \mathbf{f}_{\mathsf{t}} \times \mathbf{G}_{\mathsf{t}} \\ \texttt{kBtu/yr} = & \texttt{ft} \times \underline{\mathsf{Btu}}_{(\mathsf{hr} - \mathsf{ft}^{\circ}\mathsf{F})} \times \texttt{unitless} \times \underline{(\mathsf{k}^{\circ}\mathsf{F}\text{-}\mathsf{hr})}_{\mathsf{yr}} \end{array}$

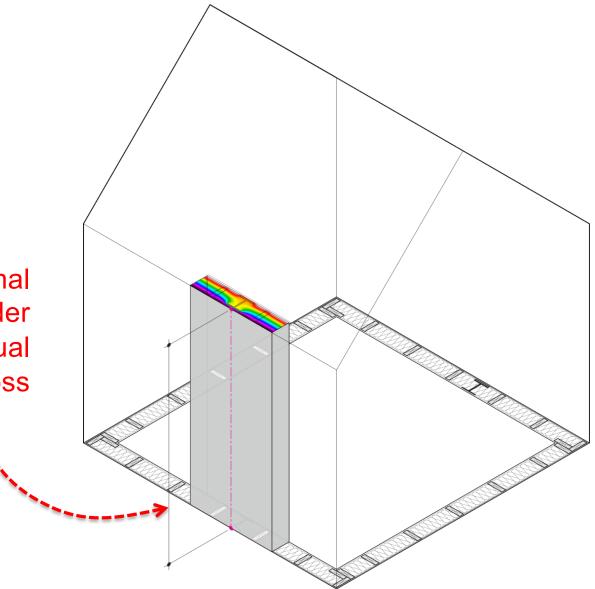
(Transmission Losses) Q_{T-tb} = Length of the Thermal Bridge (ft)

Length of the Thermal Bridge (ft)
×
PSI-Value (Btu/hr-ft-°F)
×
Temp. Correction Factor (if needed)
×
Yearly Heating Degree Hours (k°F-hr/yr)
=kBtu/yr



Thermal Bridge Length?

The length of the thermal bridge is needed in order to calculate the actual yearly heat loss





Calculating Losses via Linear Thermal Bridges

$\mathbf{Q}_{\text{T-tb}} = \mathbf{L} \times \Psi \times \mathbf{f}_{t} \times \mathbf{G}_{t}$

EXAMPLE:

NYC, $G_t = 117 \text{ kFh/yr}$ $\Psi = 0.139 \text{ BTU/hr-ft-F}$ Length = 2 columns @ 10' long each

- Q_{T-tb} = (2 × 10') × 0.139 Btu/hr-ft-F × 1.0 × 117 kFh/yr
- Q_{T-tb}= 20 ft × 0.139 Btu/hr-ft-F × 1.0 × 117 kFh/yr

Q_{T-tb}= 325.26 kBtu/yr

We have to <u>ADD</u> an additional 325 kBtu/yr of losses to our energy model due to the steel columns

